

Table 1. Runtimes in seconds for the tests proposed by R. Lewis and M. Wester (only as far as applicable to GiNaC) on an Intel P-III 450MHz, 384MB RAM running under Linux. Abbreviations used: GU (gave up, like Maple's error object `too large`), CR (crashed, out of memory), NA (not available), UN (unable, a prerequisite test failed).

Benchmark	GiNaC	MapleV	MuPAD	Pari-GP	Singular
	0.7	R4	1.4.1	2.0.19 β	1-3-7
A: divide factorials $\frac{(1000+i)!}{(900+i)!} \Big _{i=1}^{100}$	0.20	4.11	1.13	0.37	19.0
B: $\sum_{i=1}^{1000} 1/i$	0.019	0.08	0.10	0.041	0.54
C: gcd(big integers)	0.25	9.92	3.01	1.65	0.11
D: $\sum_{i=1}^{10} iyt^i/(y+it)^i$	0.78	0.13	1.21	0.20	NA
E: $\sum_{i=1}^{10} iyt^i/(y+ 5-i t)^i$	0.63	0.05	2.33	0.11	NA
F: gcd(2-var polys)	0.080	0.10	0.21	0.057	0.13
G: gcd(3-var polys)	2.50	1.85	3.31	99.5	0.38
H: det(rank 80 Hilbert)	10.0	42.9	42.5	3.97	CR
I: invert rank 40 Hilbert	3.38	7.48	12.0	0.62	CR
J: check rank 40 Hilbert	1.61	2.61	2.95	0.22	UN
K: invert rank 70 Hilbert	22.1	113.8	74.0	5.90	CR
L: check rank 70 Hilbert	9.19	24.1	14.2	1.57	UN
M ₁ : rank 26 symbolic sparse, det	0.36	0.40	0.75	0.016	0.003
M ₂ : rank 101 symbolic sparse, det	1903.3	GU	CR	CR	251.2
N: eval poly at rational functions	CR	GU	CR	CR	NA
O ₁ : three rank 15 dets (average)	43.2	GU	CR	CR	CR
O ₂ : two GCDs	CR	UN	UN	UN	UN
P: det(rank 101 numeric)	1.10	12.6	44.3	0.09	0.85
P': det(less sparse rank 101)	6.07	13.6	46.2	0.38	1.25
Q: charpoly(P)	103.9	1453.2	741.7	0.15	4.4
Q': charpoly(P')	212.8	1435.6	243.1	CR	5.0

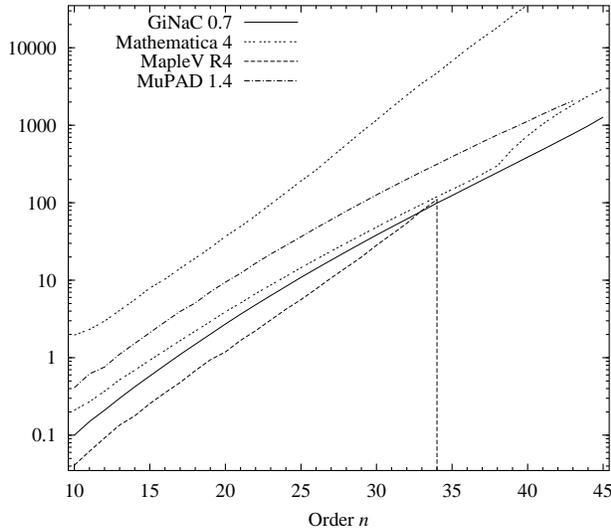


FIGURE 3. Absolute runtimes to expand the Γ -function around $x = 0$ up to order n in seconds.

out that the intermediate result is already useful to some extent (as can be seen by evaluating it numerically) we

also give it credit by showing the timings for computing the series without applying `FunctionExpand`.

As yet another test, we apply GiNaC to a number of tests invented by Robert Lewis and Michael Wester (described in (4)) as far as they are applicable to GiNaC. The results are shown in Table 1.

STATUS AND AVAILABILITY

Being a special-purpose system, GiNaC aims at being a fast and reliable foundation for combined symbolic/numerical/graphical projects in C++. It is currently used as a symbolic engine for loop calculations in the HEP project (5). It may be downloaded and distributed under the terms of the GNU general public license from <http://www.ginac.de/>. The supporting CLN library can also be obtained from there and is also available packaged for some Linux distributions. A tutorial introduction and complete cross references of the source code can also be found there.

REFERENCES

1. American National Standards Institute, *ISO/IEC 14882-1998(E) Programming languages — C++* (1998)
2. Bruno Haible, Richard Kreckel, *CLN Class Library for Numbers*, <ftp://ftp.ilog.fr/pub/Users/haible/gnu/cln-1.1.tar.gz>, (2000)
3. Rene Brun, Fons Rademakers, *ROOT - An Object Oriented Data Analysis Framework Proceedings of AIHENP 97*, Lausanne, (1996)
4. Robert H. Lewis, Michael Wester, *Comparison of Polynomial-Oriented Computer Algebra Systems*. (Presented at the 1999 ISSAC Conference, Vancouver), available from <http://www.fordham.edu/lewis/cacomp.html>, (1999)
5. Lars Brücher, Johannes Franzkowski, Dirk Kreimer, *Comput. Phys. Commun.* **115**, (1998) 140–160.